

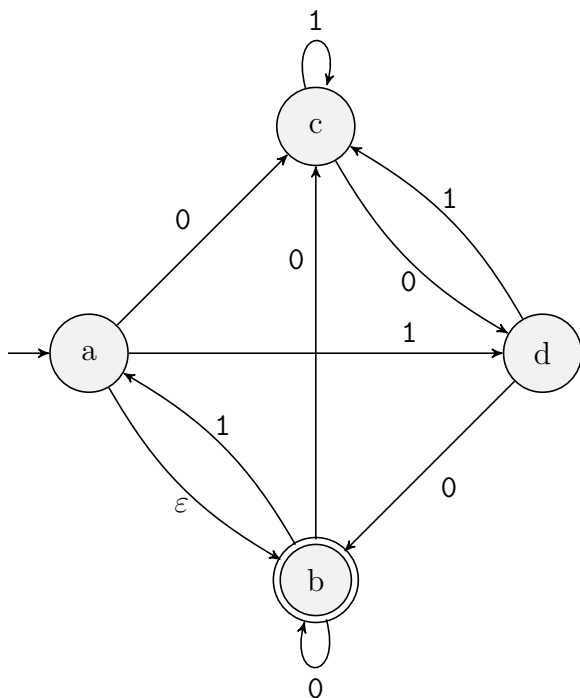
NO NOTES, BOOKS, ELECTRONIC DEVICES, OR INTERPERSONAL COMMUNICATION ALLOWED. Submit solutions to at most 2 LO problems on separate sheets of paper.

Problems

LO1. Do the following.

- (a) Provide the state diagram for a DFA that accepts the binary language L described as follows. Binary word $w \in L$ iff either i) w is empty, ii) w consists of all 0's, or iii) each 1 bit in w is next to exactly one other 1 bit. For example, 01100011 and 000 are words in L , while 0100110 and 01101110 are *not* words in L .
- (b) Show the computation of M on input i) $w = 011011$ and ii) $w = 011010$.

LO2. Do the following for the NFA N whose state diagram is shown below.



- (a) Provide a table that represents N 's δ transition function.
- (b) Use the table from part a to convert N to an equivalent DFA M using the method of subset states. Draw M 's state diagram.
- (c) Show the computation of M on input $w = 11001$.

LO3. Provide a regular expression that represents the set of binary words w that have a length of at least two and end with a 0, but not including the word 010. In other words, 010 is the only word of length two or more that ends with a 0 and is *not* in the set.

LO4. Do the following.

- (a) Provide a context free grammar $G = (V, \Sigma, R, S)$ for which $L(G)$ is the set of words from $\{a,b\}^*$ for which there are twice as many b's as a's.
- (b) Use G to provide a leftmost derivation of bababb.